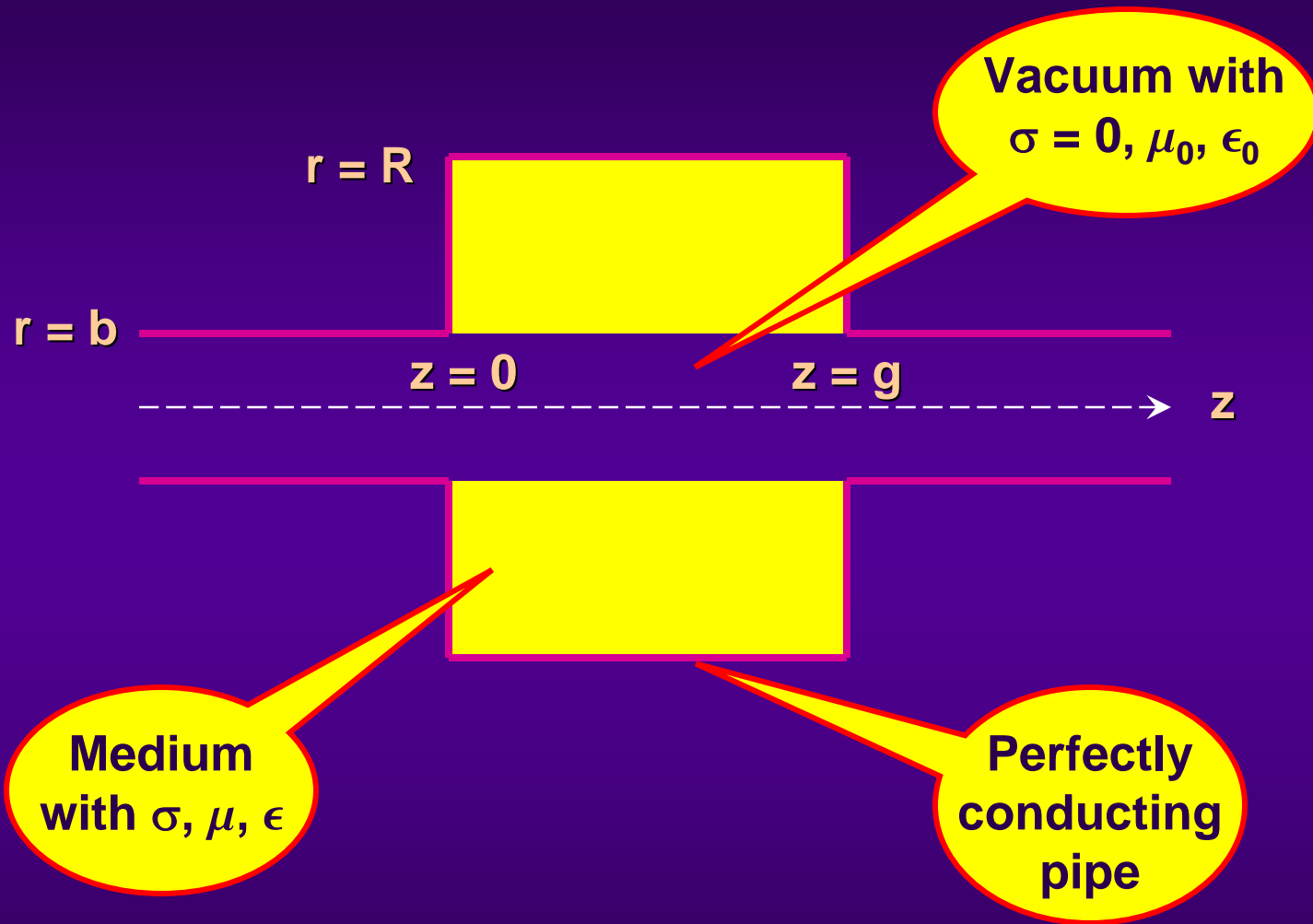


TRANSVERSE RESISTIVE-WALL IMPEDANCE OF A RESISTIVE TUBE WITH FINITE LENGTH (2)

Elias Métral

- ◆ **1st theory done by R.L. Gluckstern and B. Zotter (09-08-2006)**
 - See RLC meeting 12/09/06
 - Scan in n_{\max} and l_{\max} (\implies truncated matrices)
 - Scan in length g (and then renormalization per unit length)
 - Analytical formula for $n_{\max} = l_{\max} = 0$
- ◆ **2nd (more refined) theory done by R.L. Gluckstern and B. Zotter (20-10-2006)**
 - Scan in n_{\max} and l_{\max} (\implies truncated matrices)
 - Analytical formula for $n_{\max} = l_{\max} = 0$
 - Scan in length g (and then renormalization per unit length)

GEOMETRY OF THE PROBLEM



1st THEORY

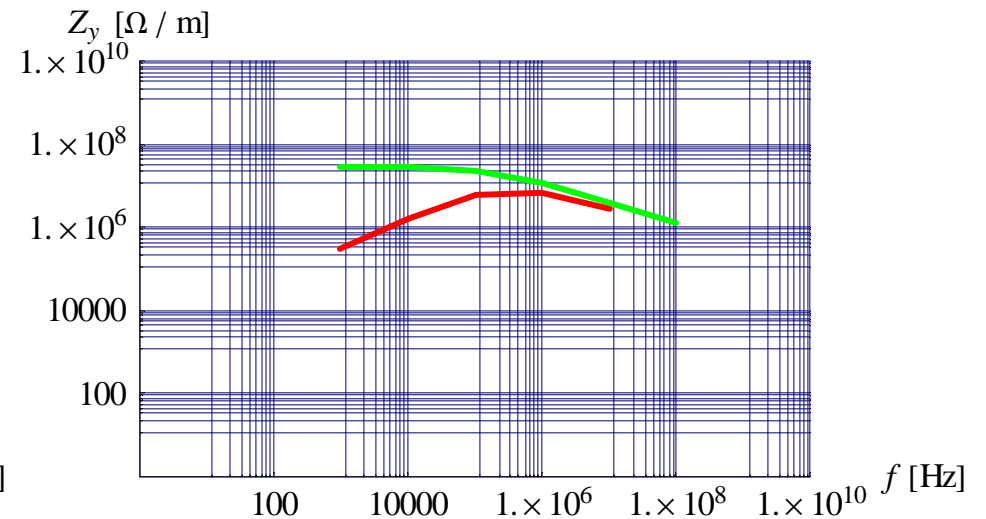
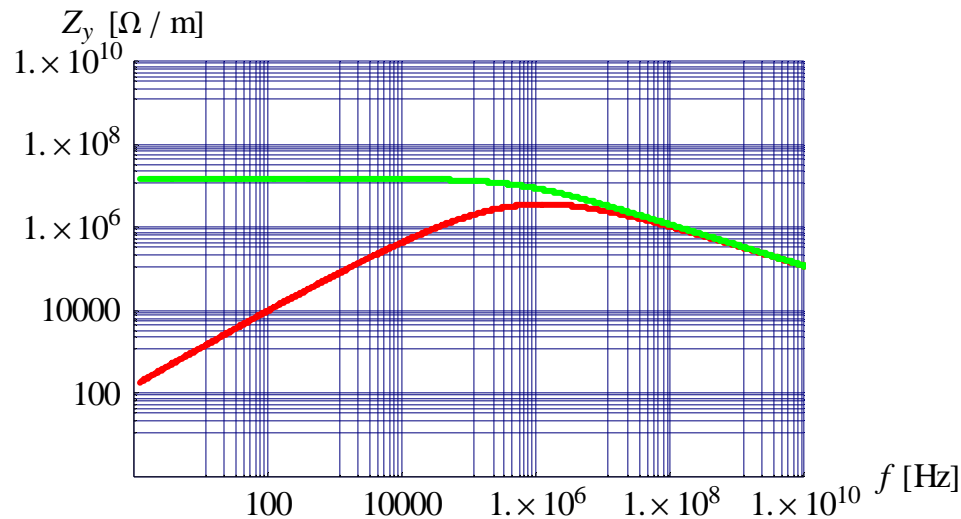
◆ Application to the case of a LHC collimator

- Length = $g = 1$ m
- Half gap = $b = 2$ mm
- Resistivity = $10 \mu\Omega\text{m}$
- Wall thickness = $R = 2.5$ cm

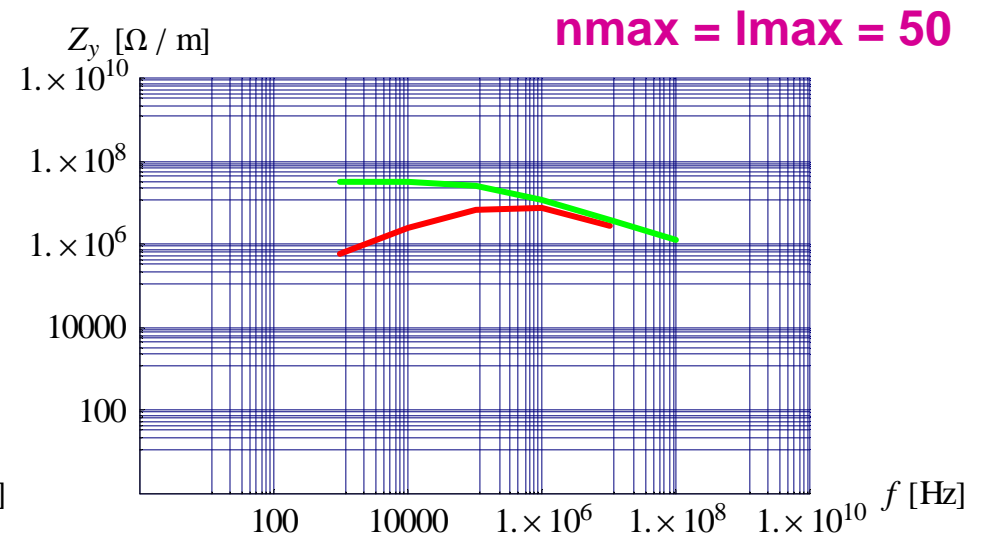
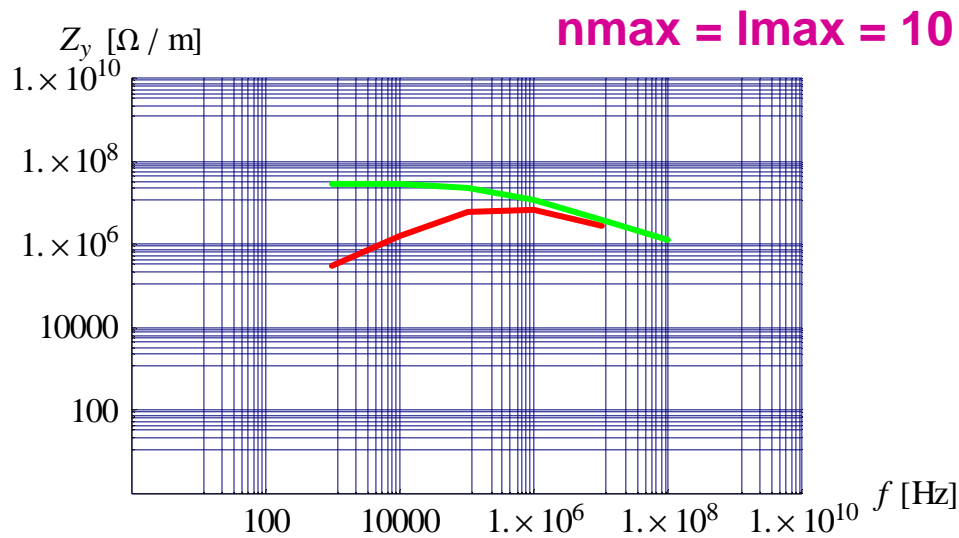
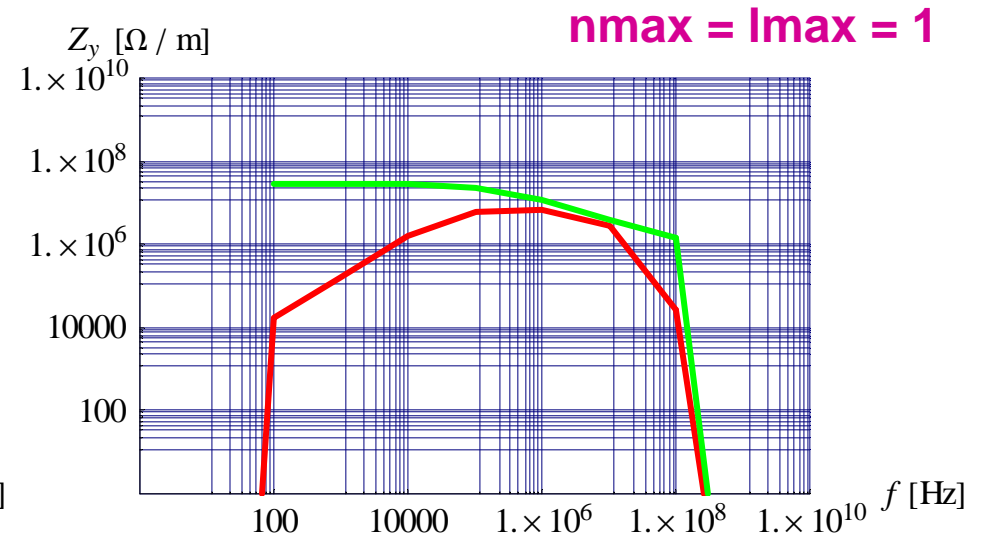
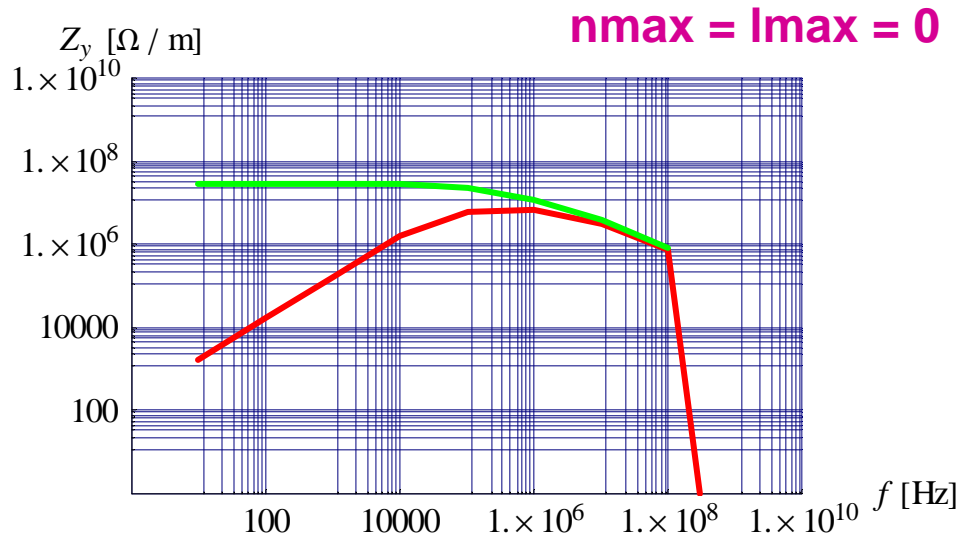
INFINITE LENGTH COMPUTATION

FINITE LENGTH COMPUTATION

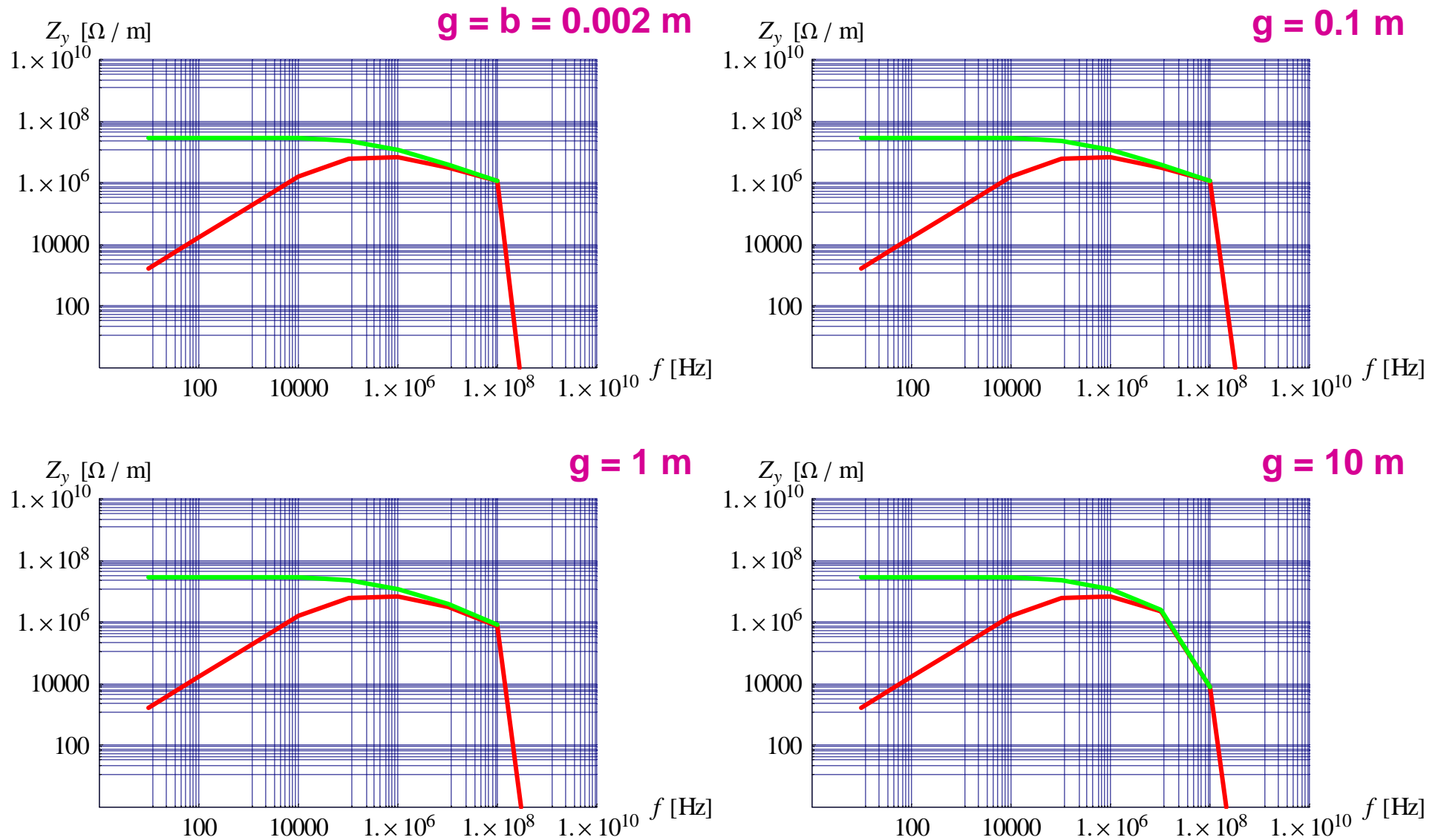
(with $n_{\text{max}} = l_{\text{max}} = 10$)



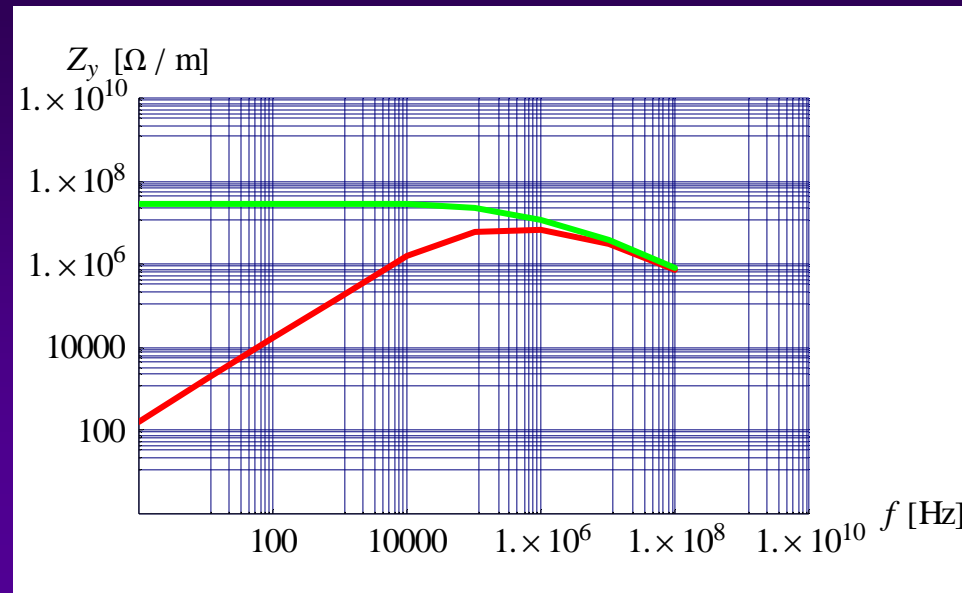
◆ Scan in n_{max} (= l_{max} here) for the case of a LHC collimator



◆ Scan in g for the case of a LHC collimator (and then renormalization per unit length) and $n_{max} = l_{max} = 0$



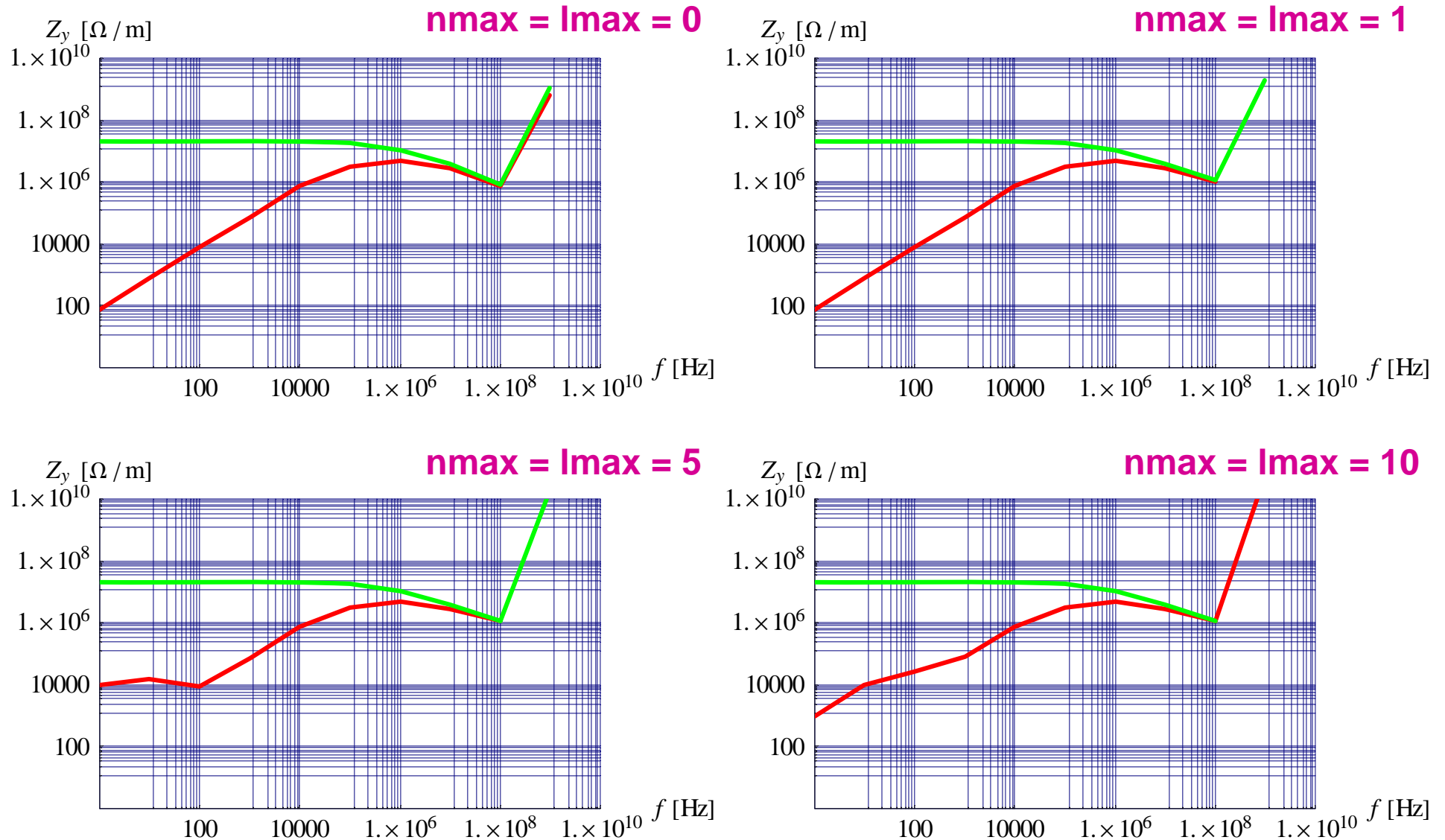
◆ Analytical formula taking into account only $n_{\max} = l_{\max} = 0$



⇒ The fact that we have no result above $\sim 10^8$ Hz is due to the fact that then $S(\alpha_0 b)$ and $S'(\alpha_0 b)$ are then equal to 0 with Mathematica, and we need to compute the ratio $S'(\alpha_0 b) / S(\alpha_0 b)$. We should try to find approximation of these Bessel functions for high frequency...

2nd THEORY

◆ Scan in n_{\max} (= l_{\max} here) for the case of a LHC collimator

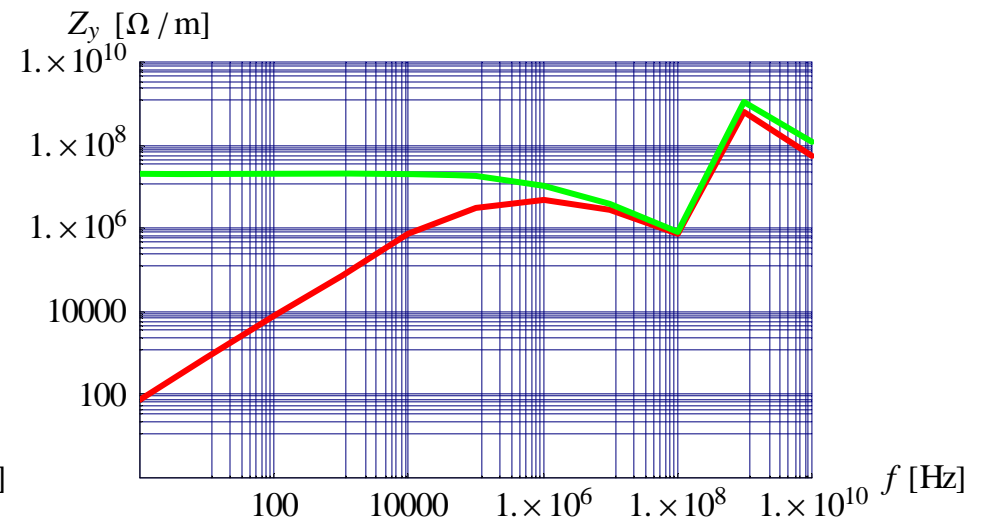
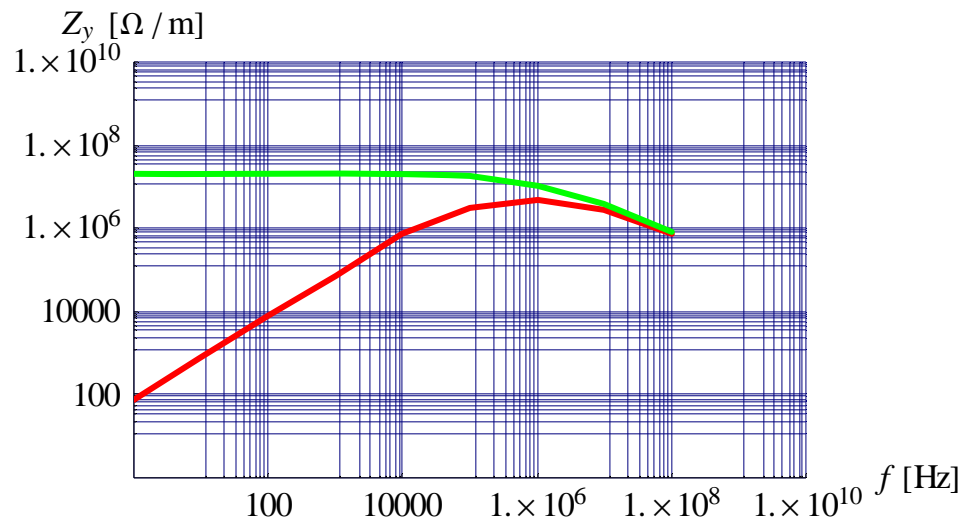


- ◆ Analytical formula taking into account only $n_{\max} = l_{\max} = 0$

My result = Gluckstern's result divided by $-\pi k^2 g^2$

ANALYTICAL RESULT

NUMERICAL RESULT



◆ Scan in g for the case of a LHC collimator (and then renormalization per unit length) and $n_{\max} = l_{\max} = 0$

