

# IPMs IN THE LHC

F. Caspers, A. Grudiev and E. Métral

- ◆ **Logics of our analysis  $\Rightarrow$  For a reasonable and comprehensive answer to the IPM team**

## Review of the analysis and scaling (1/6)

- ◆ **AG made HFSS simulations for the real geometry (metallic plates) and found 3 critical trapped modes  $\Rightarrow$  Large induced power for the LHC parameters**

$$f_{r1} = 0.248 \text{ GHz} \quad Q_1 = 1228 \quad R_{s1} = 215 \ \Omega \quad \Rightarrow \quad P_1 = 150 \text{ W}$$

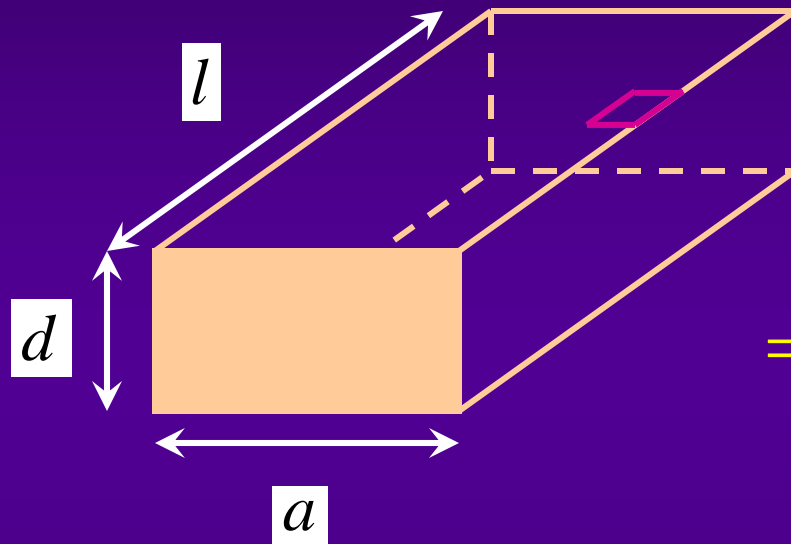
$$f_{r2} = 0.252 \text{ GHz} \quad Q_2 = 1184 \quad R_{s2} = 728 \ \Omega \quad \Rightarrow \quad P_2 = 507 \text{ W}$$

$$f_{r3} = 0.457 \text{ GHz} \quad Q_3 = 6114 \quad R_{s3} = 43 \ \Omega \quad \Rightarrow \quad P_3 = 20 \text{ W}$$

- ◆ **These high-Q modes should therefore be damped**
- ◆ **Ferrite cannot be used as it will be seen by the beam**
- ◆ **FC proposed to put a resistive coating (instead of ferrite), but a resistive coating does not work on a metal (the induced currents will continue to flow into the metal)  $\Rightarrow$  One has first to put a ceramic plate and then add a resistive coating on top of it**

## Review of the analysis and scaling (2/6)

- ◆ FC proposed to AG to make HFSS simulations using a (“surface”) resistance of 100 “ $\Omega$  per square”



$$R = \rho \frac{l}{S}$$

$$S = d a$$

$$\Rightarrow R = R_{\text{per square}} \frac{l}{a} \quad \text{with} \quad R_{\text{per square}} = \frac{\rho}{d}$$

- ◆ For each square (  $l = a$  ),  $R = R_{\text{per square}} = \text{constant}$

- ◆ AG verified that the modes were indeed damped: the Q values went from few thousands to a few tens, i.e. a reduction by a factor of  $\sim 100$

## Review of the analysis and scaling (3/6)

- ◆ **However, the problem is that the IPM team has** difficulties to produce this “surface” resistance of 100  $\Omega$  per square, because the layer is then too thin

- ◆ The IPM team asked whether they can do it thicker, i.e. increase  $d$

**Property of the material**

- ◆ **In this case the “surface” resistance will be smaller as**

$$R_{\text{per square}} = \frac{\rho}{d}$$

- ◆ A smaller “surface” resistance means a lower damping of the trapped modes. Can one accept that? And to which extent?
- ◆ **FC told us last week YES: This thickness is** not so critical (if one uses a “surface” resistance between  $\sim 30$  and 100  $\Omega$  per square) **as the attenuation curves are flat.** Therefore FC recommended an initial window between 30 and 50  $\Omega$  per square, which will later increase to 50-100  $\Omega$  per square by aging

## Review of the analysis and scaling (4/6)

- ◆ The justification of this educated hand-waving guess is in the paper **CERN/PS/86-20 (AA)**: C.R. Carter and F. Caspers, “An Exact Treatment of a Rectangular Waveguide Symmetrically Loaded with Resistively Coated Dielectric Slabs for Maximum Attenuation”, 1986

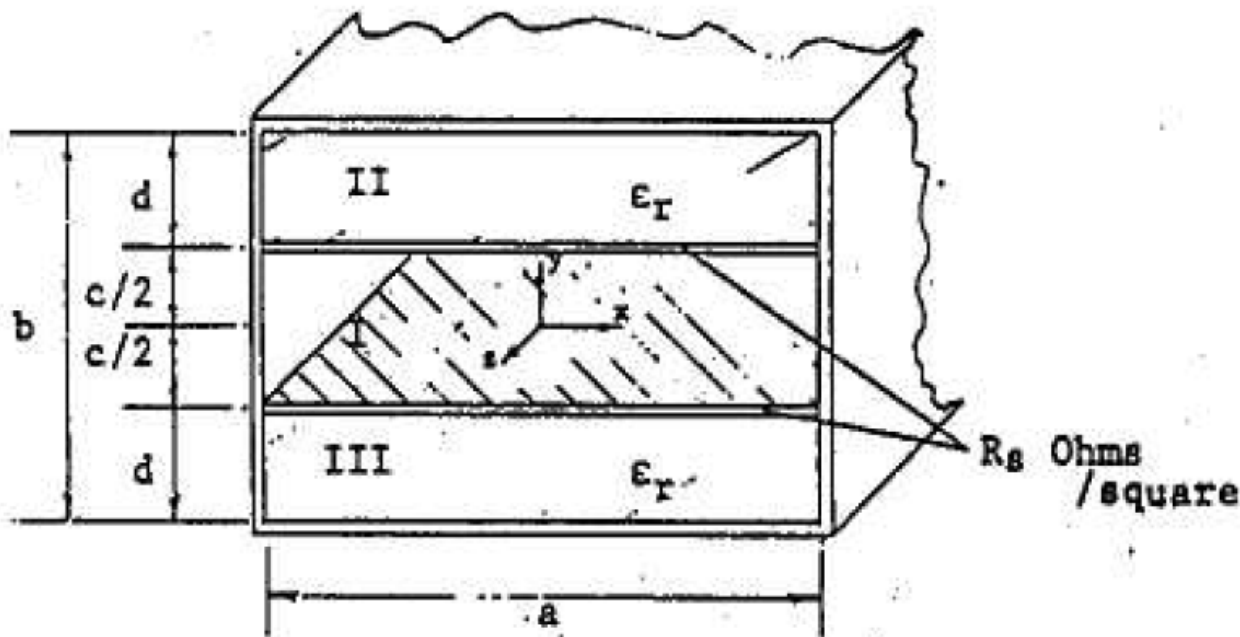


Figure 1: A dielectric-loaded waveguide with resistive coatings on the air-dielectric interfaces of each slab.

# Attenuation

## Review of the analysis and scaling (5/6)

### Attenuation

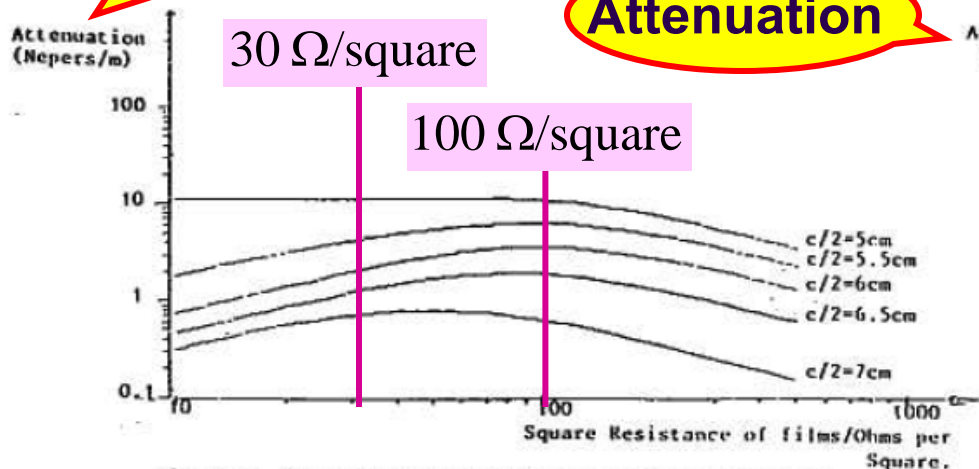


Figure 2: Attenuation due to E-plane resistive films at various positions in a 15x7.5cm waveguide at 1.4GHz.

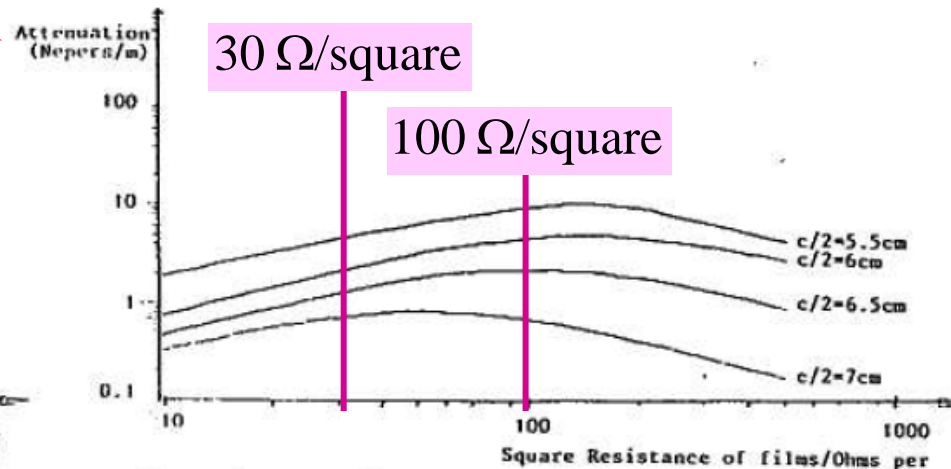


Figure 3: Attenuation due to E-plane resistive film coatings on Alumina ( $\epsilon_r=9.6$ ) slabs of various thickness at 1.4GHz.

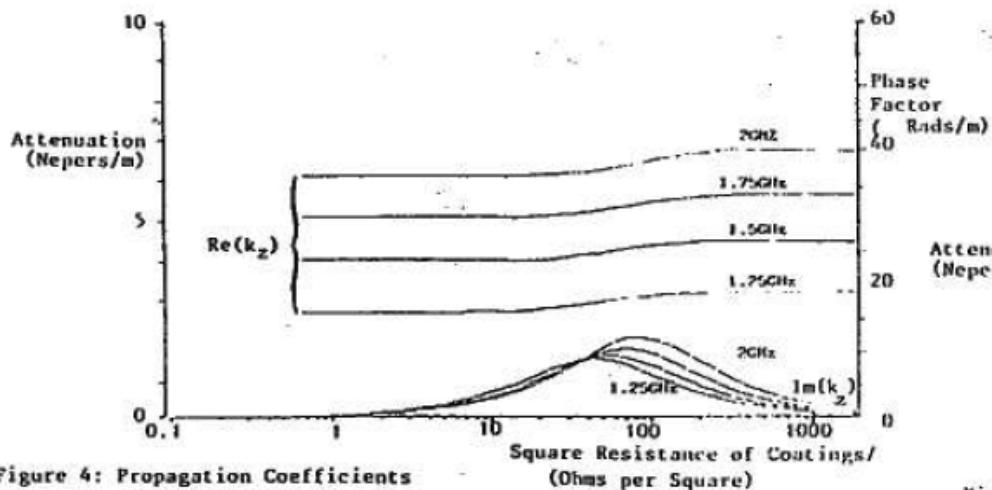


Figure 4: Propagation Coefficients for a 15x7.5cm waveguide loaded with Alumina ( $\epsilon_r=9.6$ ) H-plane slabs, thickness 5mm, with resistive coatings.

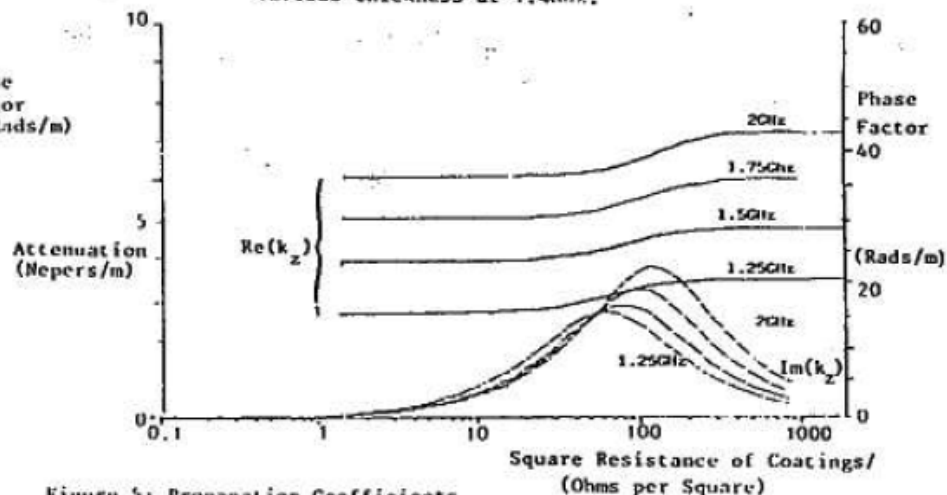


Figure 5: Propagation Coefficients for a 15x7.5cm waveguide, loaded with H-plane dielectric slabs ( $\epsilon_r=3.75$ ), thickness 1cm, coated with resistive films.

## Review of the analysis and scaling (6/6)

- ◆ **Conclusion: As mentioned by FC, the attenuation curves are rather flat between 30 and 100  $\Omega$  per square (factor  $\sim 2-3$  at max), and no major changes are expected for the damped Q-values when going from 100  $\Omega$  per square (values used by AG for the HFSS simulations) to 30**